

HYSTERESIS CURRENT CONTROL INDUCTION MACHINE DRIVE THROUGH MODELING AND SIMULATION

Parth velani¹

Electrical department

Abstract— Field oriented control is inherently used for controlling the induction motor drives. Indirect field oriented scheme with various topologies like SPWM, HCC have been widely used. This paper synthesizes and develops indirect field oriented control of induction motor based on hysteresis current control. Comparison of HCC and scalar control is also carried out. Comparison shows that HCC fed induction motor drive is a more stable over entire control range.

Keywords— Indirect field-oriented control, hysteresis current control, electric drives, scalar control, induction machines, controller parameters.

I. INTRODUCTION

The basic operating principle of vector controlled drive is to separate flux producing component & torque producing component of stator current; which are direct axis & quadrature axis current components respectively. Now we can independently control torque generated by motor by controlling quadrature axis current without affecting the flux as direct axis current is maintained constant. Similarly decoupled flux control can be achieved by varying direct axis current only. Thus current control is of prime significance in vector control of induction motor [2].

This paper describes an approach of indirect field oriented control of induction machine with hysteresis current control. Section II presents a model of induction motor. In section III simulation model with control strategies is designed. Simulation results are present and discussed in Section IV.

II. MODEL OF INDUCTION MOTOR

The equations convenient for simulating the induction machine in arbitrary reference frame can be seen as,

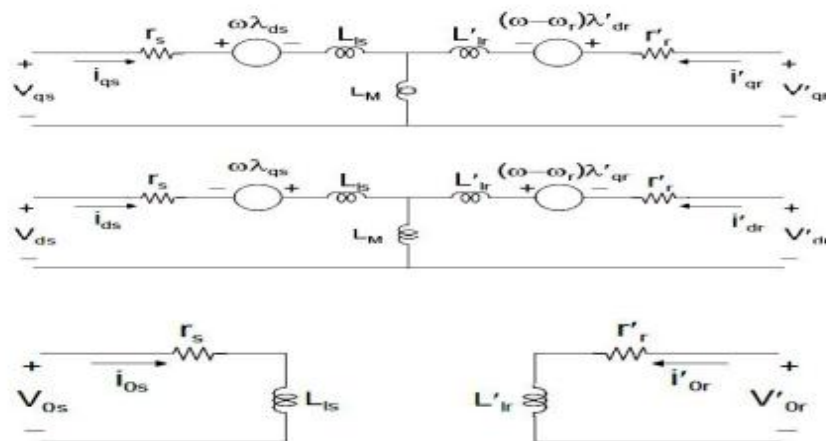


Figure 4.1 Equivalent circuits of a three phase, symmetrical Induction motor with rotating d-q axis at rated speed.

$$i_{qs} = \frac{1}{X_{ls}}(\psi_{qs} - \psi_{mq}) \quad (1)$$

$$i_{ds} = \frac{1}{X_{ls}}(\psi_{ds} - \psi_{md}) \quad (2)$$

$$i_{0s} = \frac{1}{X_{ls}}(\psi_{0s}) \quad (3)$$

$$i'_{qr} = \frac{1}{X'_{lr}}(\psi'_{qr} - \psi_{mq}) \quad (4)$$

$$i'_{dr} = \frac{1}{X'_{lr}}(\psi'_{dr} - \psi_{md}) \quad (5)$$

$$i'_{0r} = \frac{1}{X'_{lr}}(\psi'_{0r}) \quad (6)$$

When ψ_{mq} and ψ_{md} , which are useful when representing saturation, are defined as

$$\psi_{mq} = X_M(i_{qs} + i'_{qr}) \quad (7)$$

$$\psi_{md} = X_M(i_{ds} + i'_{dr}) \quad (8)$$

if the resulting voltage equations are solved for the flux linkages per second, following integral equations can be seen:

$$\psi_{qs} = \frac{\omega_b}{p} \left[v_{qs} - \frac{\omega}{\omega_b} \psi_{ds} + \frac{r_s}{X_{ls}} (\psi_{mq} - \psi_{qs}) \right] \quad (9)$$

$$\psi_{ds} = \frac{\omega_b}{p} \left[v_{ds} - \frac{\omega}{\omega_b} \psi_{qs} + \frac{r_s}{X_{ls}} (\psi_{md} - \psi_{ds}) \right] \quad (10)$$

$$\psi_{0s} = \frac{\omega_b}{p} \left[v_{0s} - \frac{r_s}{X_{ls}} (\psi_{0s}) \right] \quad (11)$$

$$rr'X_{lr}'\psi_{mq} - \psi_{qr}' \quad (12)$$

$$\psi'_{qr} = \frac{\omega_b}{p} \left[v'_{qr} - \frac{(\omega - \omega_r)}{\omega_b} \psi'_{qr} + \dots \right]$$

$$\psi'_{dr} = \frac{\omega_b}{p} \left[v'_{dr} - \frac{(\omega - \omega_r)}{\omega_b} \psi'_{dr} + \frac{r'_r}{X'_{lr}} (\psi_{md} - \psi'_{dr}) \right] \quad (13)$$

$$\psi'_{0r} = \frac{\omega_b}{p} \left[v'_{0r} - \frac{r'_r}{X'_{lr}} (\psi'_{0r}) \right] \quad (14)$$

Equations (7) and (8) are now expressed as

$$\psi_{mq} = X_{aq} \left(\frac{\psi_{qs}}{X_{ls}} + \frac{\psi'_{qr}}{X'_{lr}} \right) \quad (15)$$

$$\psi_{md} = X_{ad} \left(\frac{\psi_{ds}}{X_{ls}} + \frac{\psi'_{dr}}{X'_{lr}} \right) \quad (16)$$

$$X_{aq} = X_{ad} = \left(\frac{1}{X_M} + \frac{1}{X_{ls}} + \frac{1}{X'_{lr}} \right) \quad (17)$$

III. SIMULATION MODEL

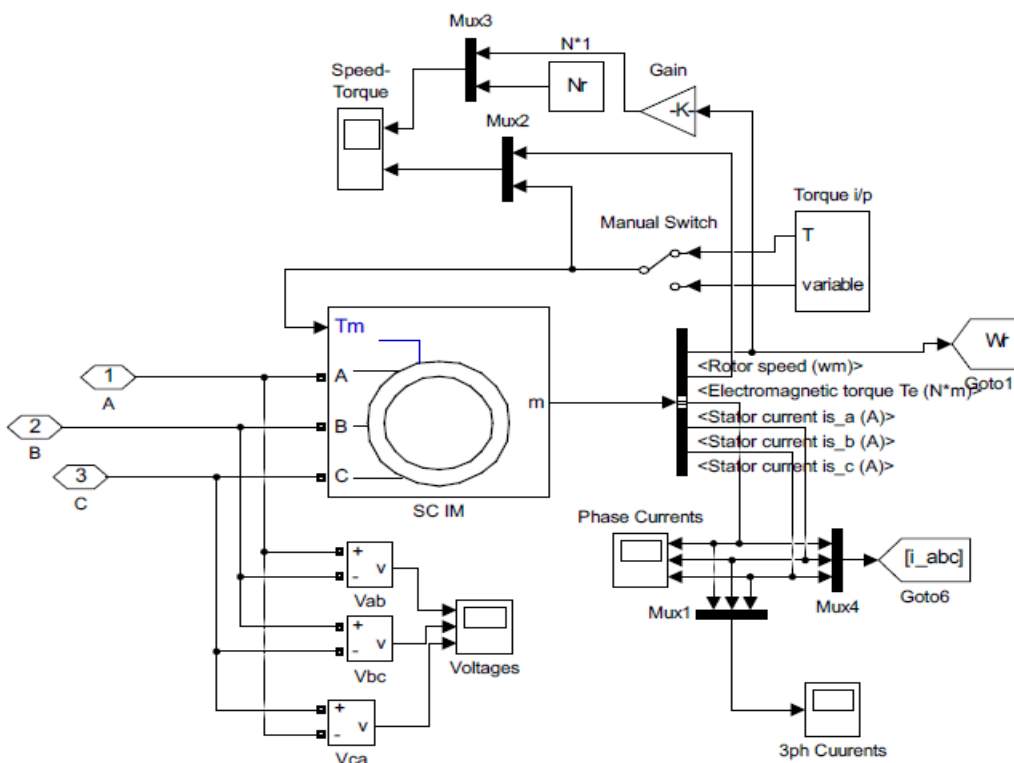


Fig. 1 induction motor and measurements block

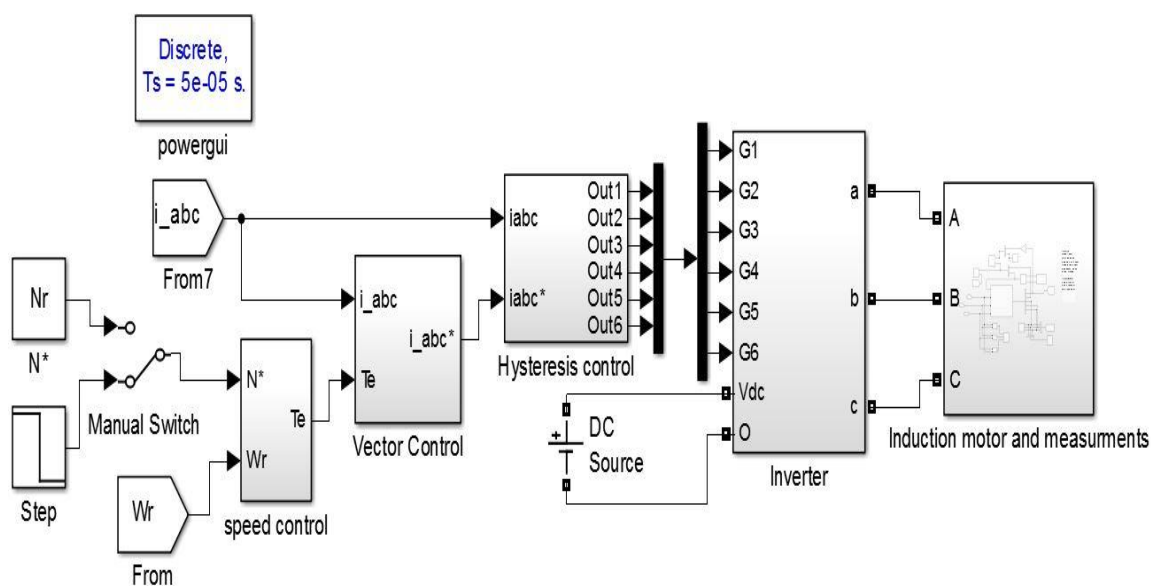


Fig. 2 Complete drive Simulink model

IV. SIMULATION RESULTS

When Step change in torque ($T_s = 50$ usec.) At $t=1$ sec $T_L=13.36$ N-m, At $t=2$ sec $T_L=26.72$ N-m, and Command speed=1400rpm

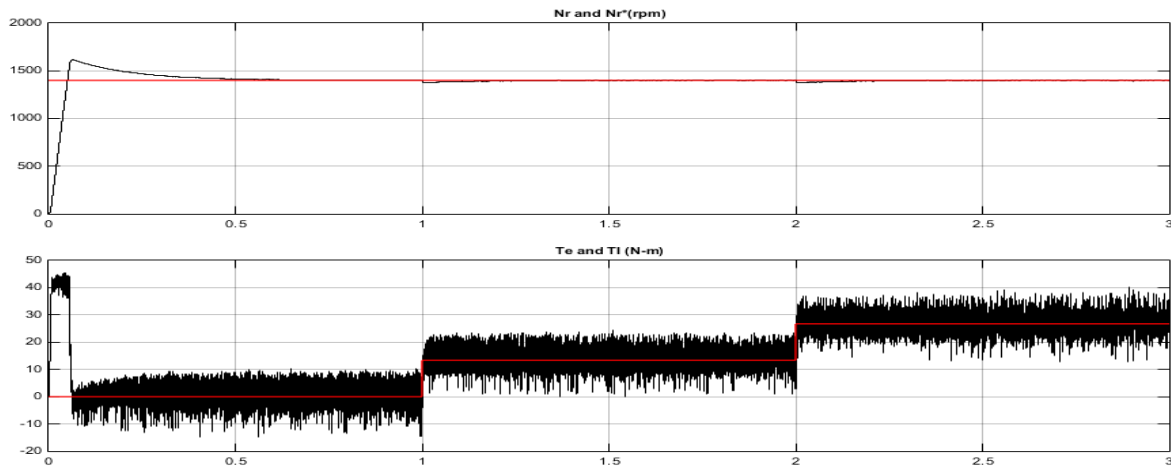


Fig. 3 Speed and torque(T_e) response under load variation

When Step change in torque ($T_s = 2$ usec.) At $t=1$ sec $T_L=13.36$ N-m, At $t=2$ sec $T_L=26.72$ N-m, and Command speed=1400rpm

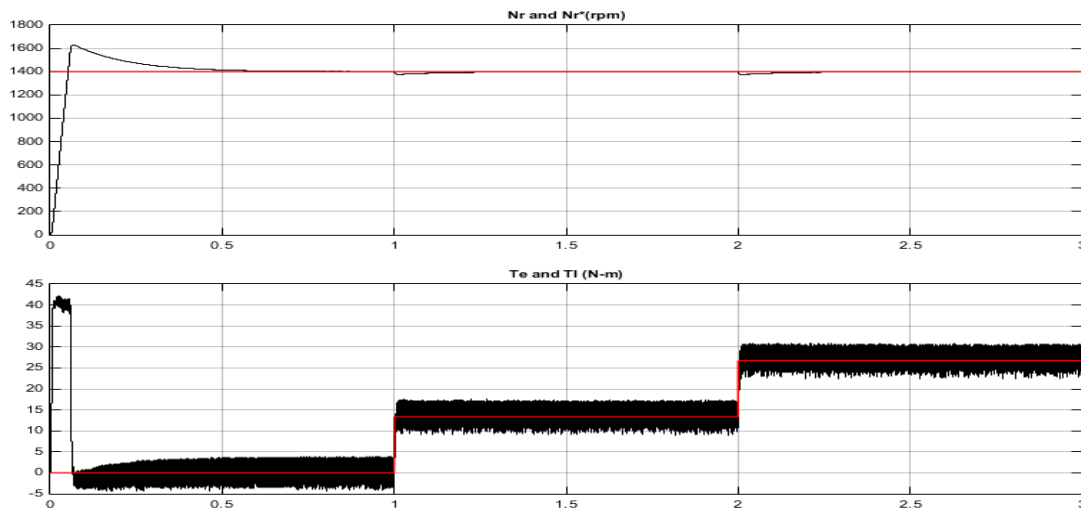


Fig. 4 Speed and torque(T_e) response under load variation

When Step change in torque Settling time for speed Waveform ~ 0.5 sec at $T_L=26.72$ N-m

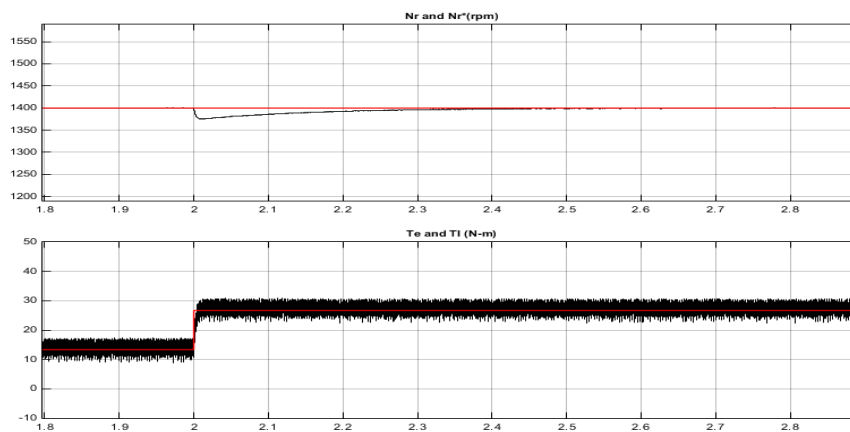


Fig. 5 Speed and torque(T_e) response ($t=1.9$ to 2.5 sec)

Decoupling Characteristic (Varying torque and constant flux):

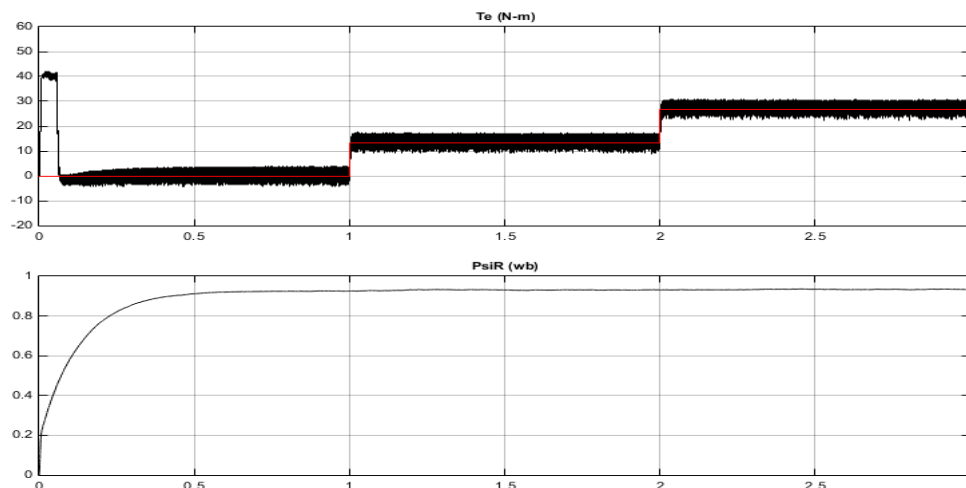


Fig. 23 Torque and flux response

When Step change in speed at $t=1$; $N_r^*=500$ rpm and $T_L=26.72$ Nm results are as follow

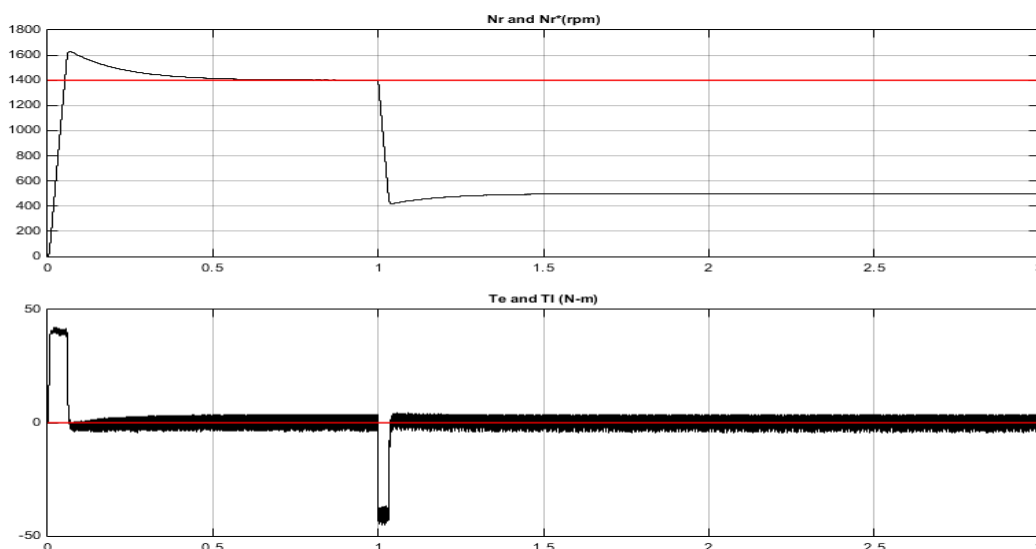


Fig. 24 Speed and torque(T_e) response under speed variation

Table-II

Comparison between “HCC & Scalar control

Hysteresis current control	Scalar control
Dynamic response (Speed-Torque) is fast.	Dynamic response is slower than that of HCC and has more oscillations before it comes to steady state
% THD (Harmonics generation) is less	%THD is higher than SVPWM
Torque ripple are less	Torque ripple are higher
Efficient for speed regulation near to zero	In lower speed region Current controller saturates due to high switching frequency
Complex implementation, requires powerful controller (driver)	Easy to implement
Inverter treated as a single unit	Independent phase control

V. CONCLUSIONS

In this paper Indirect Field Oriented control method (IFOC) with Hysteresis current control technique is illustrated. Comparative analysis between HCC current control and scalar control shows that HCC fed Induction motor drawn less harmonic current compare to scalar control fed Induction motor drive. Less Total harmonics distortion (THD) can be achieved. Therefore, it gives better performance. Smoother speed control with low torque pulsations can be achieved with HCC fed induction motor drive.

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